BCA 2nd SEMESTER EXAM., 2015 MATHEMATICS CODE- 303202

Time: 3 hours	Full Marks: 60				
Instructions:					
 i. The Marks are indicated in the right -ha ii. There are <i>SEVEN</i> questions in this pape iii. Attempts <i>FIVE</i> question in all. iv. Question Nos. <i>1</i> and <i>2</i> are compulsory. 	nd margin. er.				
1. Choose the correct option (any six).	2*6=12				
(a) The rounded value of 57.275 to two	decimal place is				
(I) 57.27	(II) 5'				
(III) 57.26	(IV) None of the above				
(b) A non-zero polynomial $f(x)$ of degr	tee 3 has roots at $x = 1$, $x = 2$ and $x = 3$.				
Which of the following is true?					
(I) $f(0) + f(4) < 0$	(II) $f(0)f(4) > 0$				
(III) $f(0) + f(4) > 0$	(IV) None of the above				
(c) The function $f(x) = 1 + \cos x - 5x^2$ is an example of					
(I) Polynomial	(II) Transcendental				
(III) Both (I) and (II)	(IV) None of the above				
(d) Newton-Raphson method is based	on Taylor's series but				
(I) neglecting 3 rd and heigher or	der derivatives				
(II) accepting up to 3 rd order der	ivatives				
(III) accepting up to 4 th order derivatives					
(IV) neglecting 2^{nd} order and high	her order derivatives				
(e) If $y_0, y_1, \dots y_n$ denote a set of values	of <i>y</i> , then Δy_0 is				
(I) (E + 1) y_0	(II) E <i>y</i> ₀				
(III) (E - 1) y_0	(IV) none of the above				
(f) Simpson's $\frac{1}{3}rd$ rule requires the	division of the entire into				
(I) odd number of sub-intervals	of equal length				
(II) even number if sub-intervals	s of equal length				

(IV) None of the above (g) Back-substitution is used in (I) Jacobi method (II) Gauss elimination method (III) Gauss-Jordan method (IV) none of the above (h) Convergence in the Gauss-Seidel method is _____as fast as Gauss-Jacobi method (I) same (II) twice (IV) None of the above (III) thrice (i) Lagrange polynomial of degree two passes (I) one point (II) two points (III) three points (IV) none of the above (j) Error in Simpson's $\frac{3}{8}rd$ rule is _____ compare to Simpson's $\frac{1}{3}rd$ rule. (I) small (II) negligible (IV) large (III) zero

(III) odd or even numbers of sub-intervals of equal length

2. Answer any three of the following:

- (a) State the principle used in Gauss-elimination method.
- (b) Solve x + 2y = 5

$$2x + y = 4$$

using Gauss-Jordan method.

- (c) State Newton's algorithms for finding square root of *N*.
- (d) If the matrix *A* is such that $A = \begin{pmatrix} 2 \\ -4 \end{pmatrix} \begin{pmatrix} 1 & 9 & 5 \end{pmatrix}$ 7

then find det(*A*).

(e) Find $\Delta sin x$.

4*3=12

12*3=36

Answer any three of the following:

3. Find the missing term of the table given below :

X :	1	2	3	4	5	6	7
Y :	2	4	8		32	64	128

4. The velocity *V* km/min of a motorbike that starts from rest is given below :

t :	2	4	6	8	10	12	14	16	18	20
V :	10	18	25	29	32	20	11	5	2	0

Find the approximate distance covered in twenty minutes using Simpson's $\frac{1}{3}rd$ rule.

5. Use Jacobi method to find the solution of the following set of linear equations :

 $5x_1 - 2x_2 + 3x_3 = -1$ $-3x_1 + 9x_2 + x_3 = 2$ $2x_1 - x_2 - 7x_3 = 3$

- **6.** Find $\Delta^n (e^{ax+b})$.
- **7.** Describe Lagrange's interpolation formula. Consider the following X_i 's :

i	:	0	1	2	
Xi	:	1	3	-2	

Find $L_0(x)$, $L_1(x)$ and $L_2(x)$

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